

You have until *Thursday, 10/13, at 9pm* to get Problem 1 this exercise checked off (during this discussion section or during *consulting hours* or *TAs' office hours*). Problems 2 and 3 are to be submitted using *MATLAB Grader* by the same deadline.

1 Linear interpolation

(GET CHECKED OFF BY YOUR TA)

For this problem, you must discuss your solution with a TA or Consultant during discussion or consulting/office hour to get it checked off. No online submission or emailed code will be accepted.

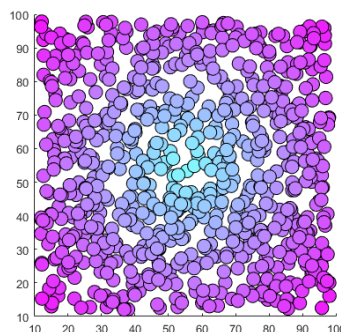
Implement the following function as specified. Do not use any built-in functions other than `rand`, `sqrt`, and `sum`.

```
function randSpheres_interp(N, r, axisLims, colr1, colr2)
% Draws random spheres in a box with colors interpolated between colr1 and colr2
% The x values of the box range from axisLims(1) to axisLims(2)
% The y values of the box range from axisLims(1) to axisLims(2)
% inputs:
%   N: number of spheres to draw
%   r: radius of every sphere (scalar value)
%   axisLims: length 2 vector that defines the axis limits of the box
%   colr1: color of sphere generated in the center of the box
%   colr2: color of sphere generated furthest from the center of the box
```

Some notes:

1. The entirety of each sphere should lie inside the box and the center of each sphere should be randomly generated.
2. The distance between points (x_1, y_1) and (x_2, y_2) is $d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$.
3. A disk generated at the exact center of the box should have color `colr1` and the disk that could be potentially generated at the furthest possible point in the box should have color `colr2`. Disks at intermediate distances between these two extremes should be interpolated between `colr1` and `colr2`.
4. All disks should show up on the same plot (use `hold on`).
5. Make use of `DrawDisk`.
6. **First deal with the problem without the color interpolation, then deal with the color interpolation.**

If you run `randSpheres_interp(800, 2, [10, 100], [0.5, 1, 1], [1, 0, 1]);` in the command window, MATLAB should create a figure like the following:



2 Average neighbor vector (Answer in MATLAB Grader <https://grader.mathworks.com>)

The neighborhood of an element in a vector includes the element itself and the elements to its left and right. Write a function `aveEvenNeighbors` that takes a vector v as input and outputs a vector storing the average value of the neighborhood of each even indexed element in v . For example, for a vector $v = [2, 3, 4, 10, 1]$, the output of `aveEvenNeighbors` would be $[3, 5]$ because we only store the average value of the neighborhood of the 2nd element ($\text{avg}([2, 3, 4]) = 3$) and the 4th element ($\text{avg}([4, 10, 1]) = 5$). You can assume that the length of the input to the function will always be odd and of length greater than or equal to 3.

Be efficient: do not loop through every index.

```
function medVec = aveEvenNeighbors(v)
% Computes the average even neighborhood vector of v
% v: vector with odd length and length(v) >= 3
% medVec: vector storing the average neighborhood values for each even index
```

3 Find a value in a matrix (Answer in MATLAB Grader <https://grader.mathworks.com>)

Implement the following function as specified. Use loops in this problem; *do not* use any built-in functions other than `size`.

```
function [rvec, cvec] = findInMatrix(n,M)
% Find all occurrences of the number n in matrix M.
% rvec and cvec are column vectors of row and column numbers such that
%   M(rvec(k),cvec(k)) is equal to n.
% The length of rvec and cvec is the number of times n appears in M.
% If n is not found in M, rvec and cvec are empty vectors.
% Do not use any built-in functions other than size().
```